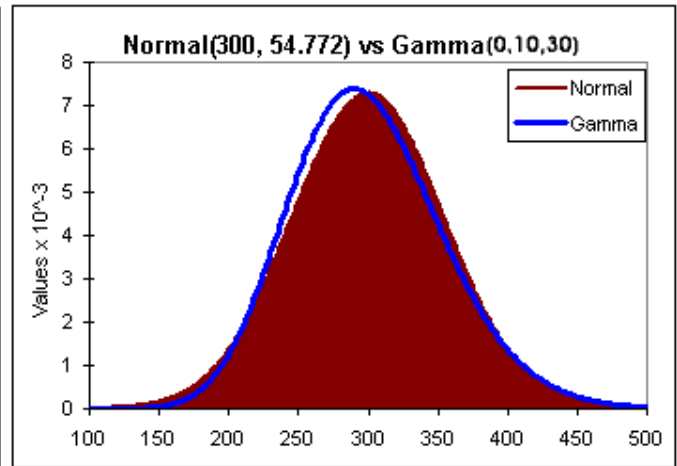
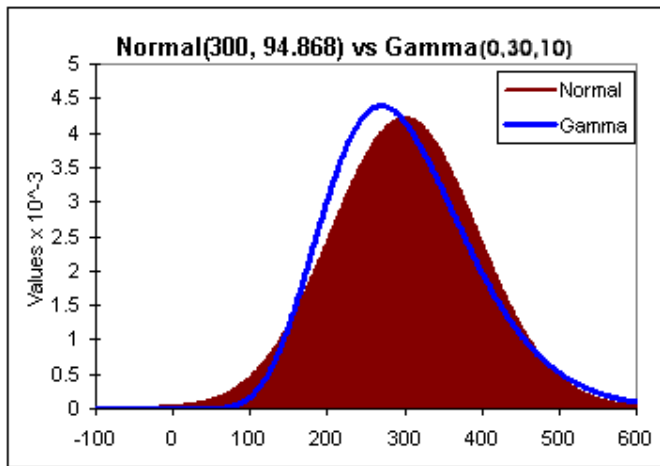


Normal approximation to the Gamma distribution

The Gamma($0, b, a$) distribution returns the "time" we will have to wait before observing a independent [Poisson](#) events, where one has to wait on average b units of "time" between each event. The "time" to wait before a single event occurs is a Gamma($0, b, 1$) = Exponential($1/b$) distribution, with mean b and standard deviation b too. The Gamma($0, b, a$) is thus the sum of a independent Exponential($1/b$) distributions, so [Central Limit Theorem](#) tells us for sufficiently large a (>30 , for example), we can make the approximation:

$$\text{Gamma}(0, b, a) \approx \text{Normal}(a\beta, \sqrt{a\beta})$$



The Gamma($0, b, a$) distribution has mean and standard deviation equal to ab and $a^{1/2}b$ respectively, which provides a nice check to our approximation.
